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The Jacobi identity for tangent categories. (English, French summaries)

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A tangent category is a category endowed with an endofunctor satisfying an abstract version of some of the properties of the tangent bundle functor on the category of smooth manifolds. J. Rosický [Diagrammes **12** (1984), JR1–JR11; MR0800500] constructed Lie brackets for vector fields in this abstract setting, even providing the Jacobi identity. The paper under review gives a more streamlined proof of the Jacobi identity without additional assumptions. *Hirokazu Nishimura*

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Note: This list reflects references listed in the original paper as accurately as possible with no attempt to correct errors.